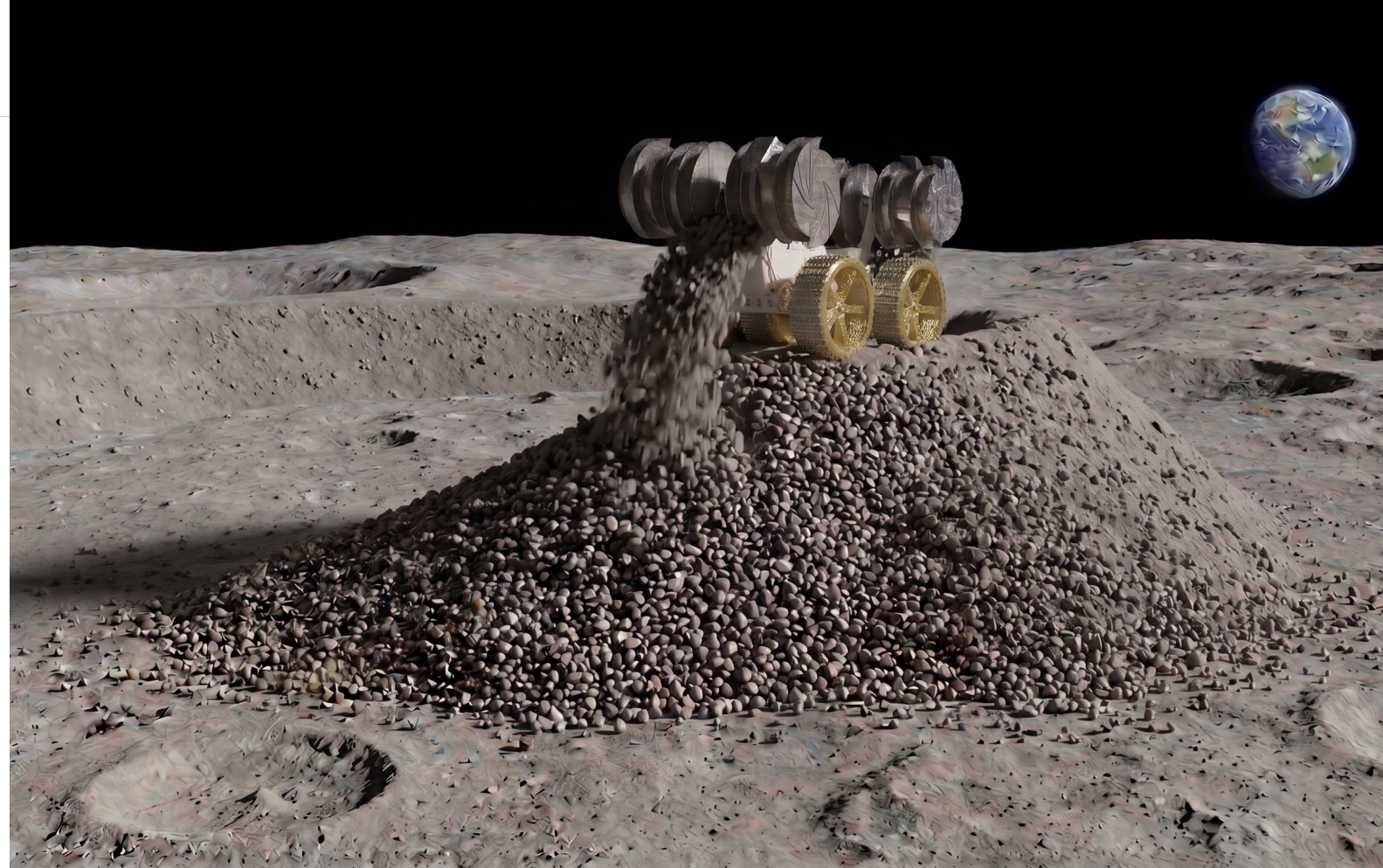




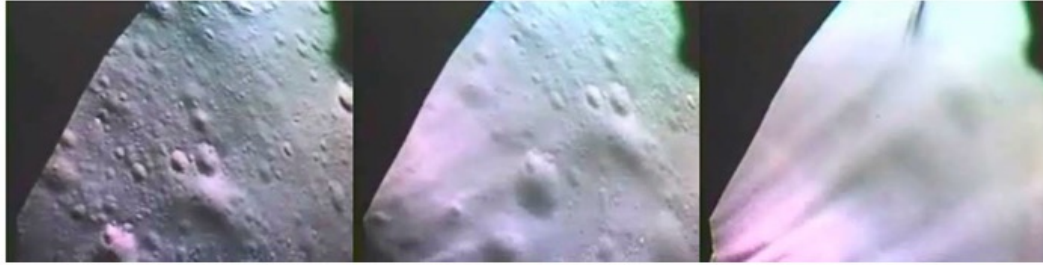
Evaluation of Untreated Regolith Berm Geometries for Lunar Ejecta Mitigation

Space Resources Round Table - 2026

Zoheir Khademian, PhD – zkhademian@outward.tech

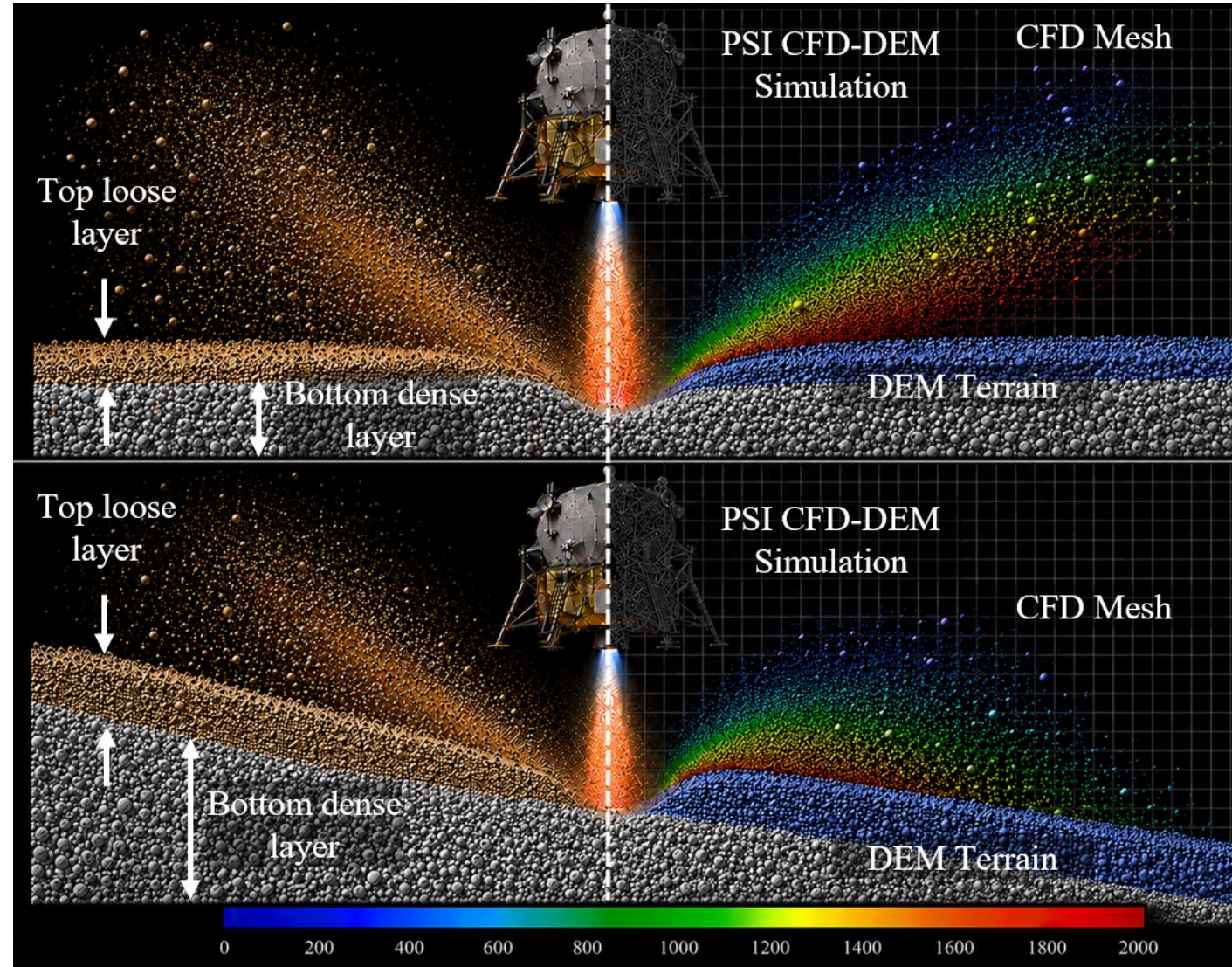
Blueshift, LLC dba Outward Technologies

Background



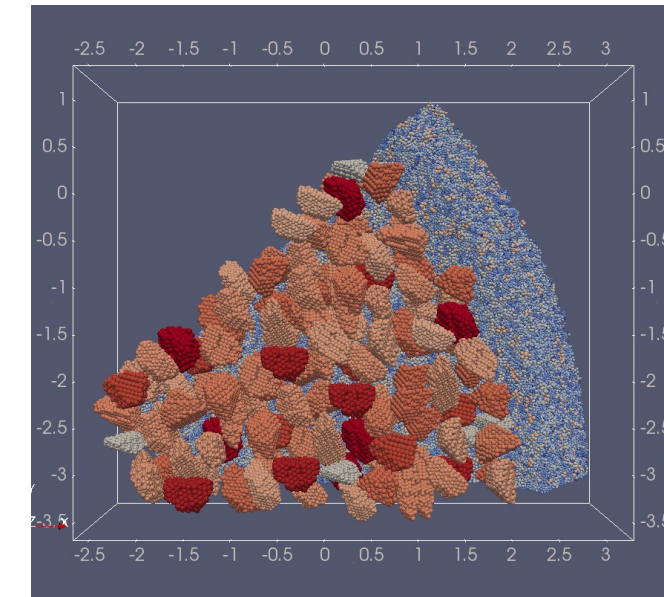
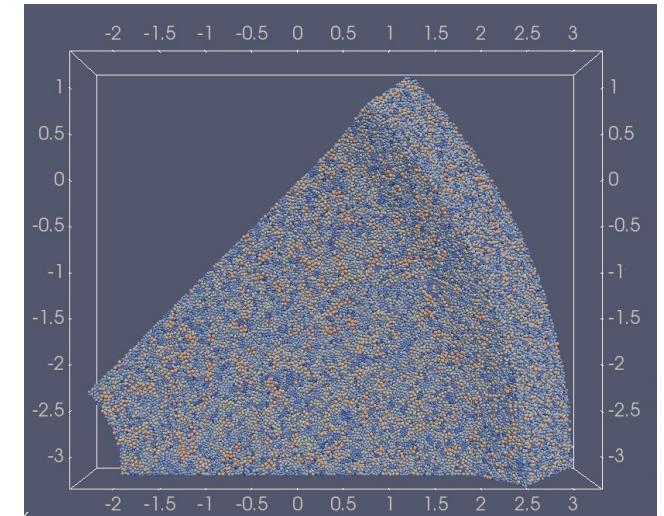
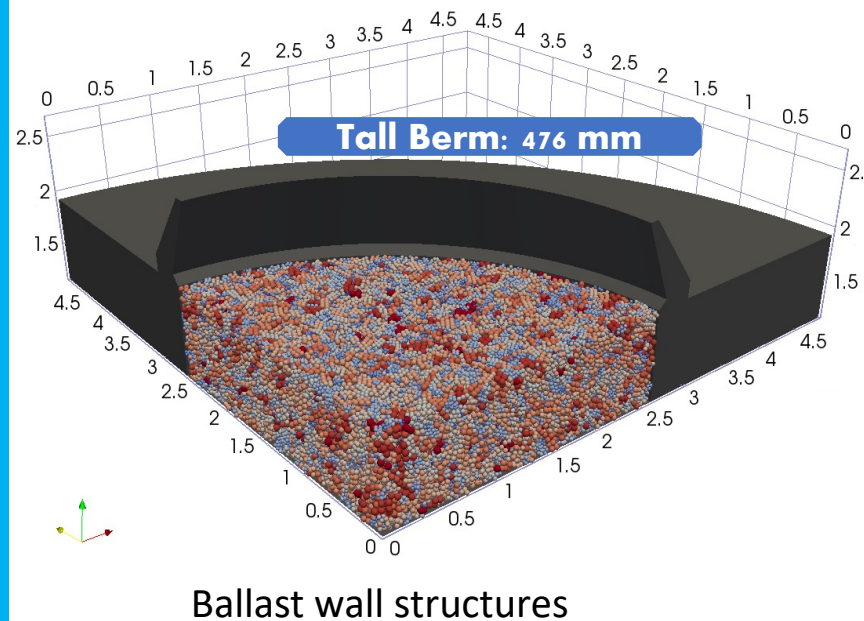
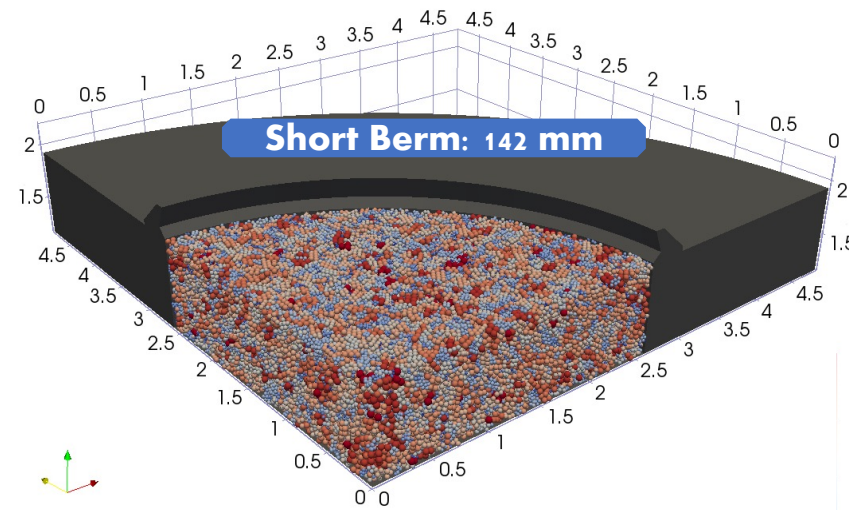
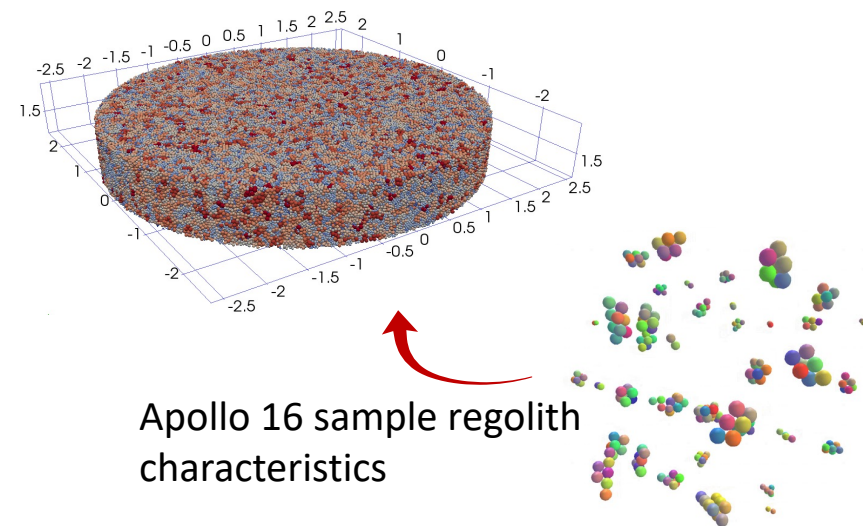
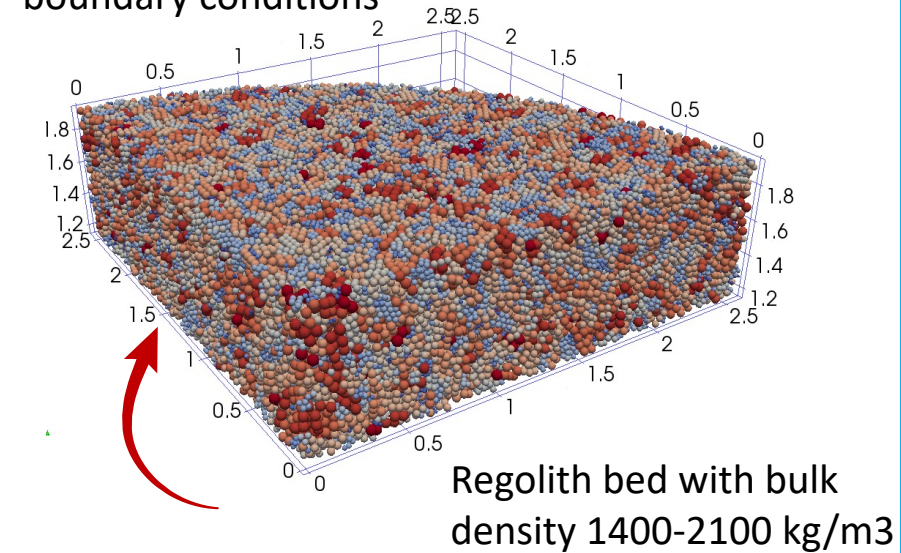
Dust obscuration during Apollo 16 Lunar landing (Metzger, 2010)

- Plume-Surface Interaction (PSI) causing high-velocity ejecta that might damage surrounding surface infrastructure.
- Berm design: landing pad radius, berm geometry, and material.
- Lunar Landing Pad Design Tool (LLPDT) uses Discrete Element Method (DEM) to simulate complex regolith physics and berm structural stability. *A tool for hardware designers, site planners, lander companies.*



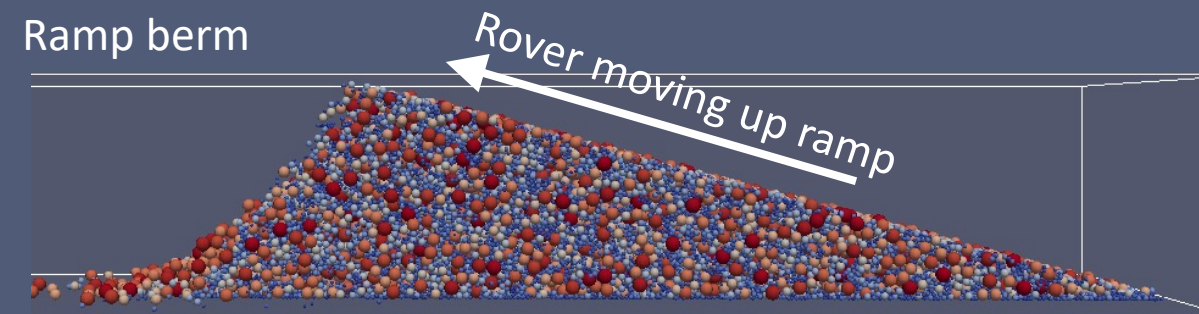
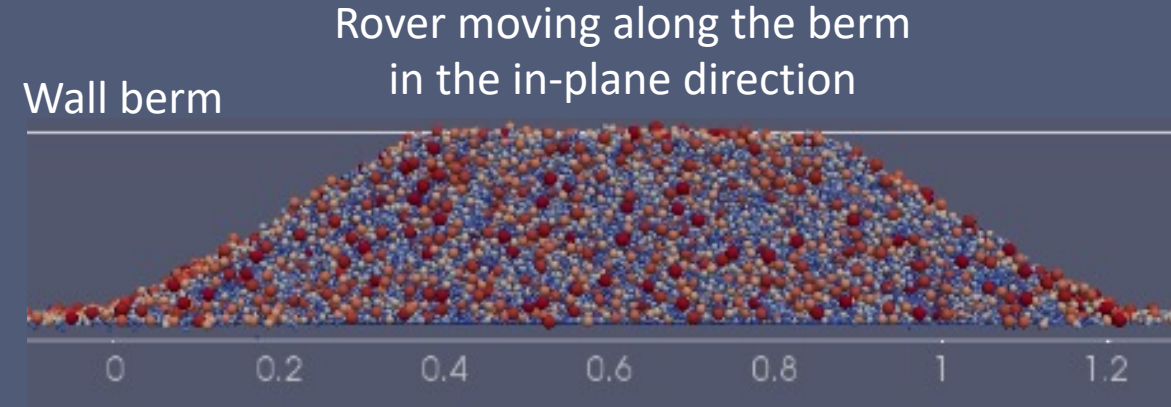
Methodology: Discrete Element Method (DEM)

Landing pad with symmetry boundary conditions



Methodology: Regolith Berm Design

- A trapezoidal cross-section with a flat top, formed by incremental deposition of regolith while traversing over the berm
- More mass-efficient for taller requirements, for a 2.5 m height, walls require less mass than ramp berms for lengths exceeding 9 m.
- A triangular cross section, formed by repeating parallel deposition operations,
- Facilitate rover access for maintenance,
- Mass-efficient for shorter structures, requires less mass than wall berms for heights under 1.5 m and lengths beyond 33 m.

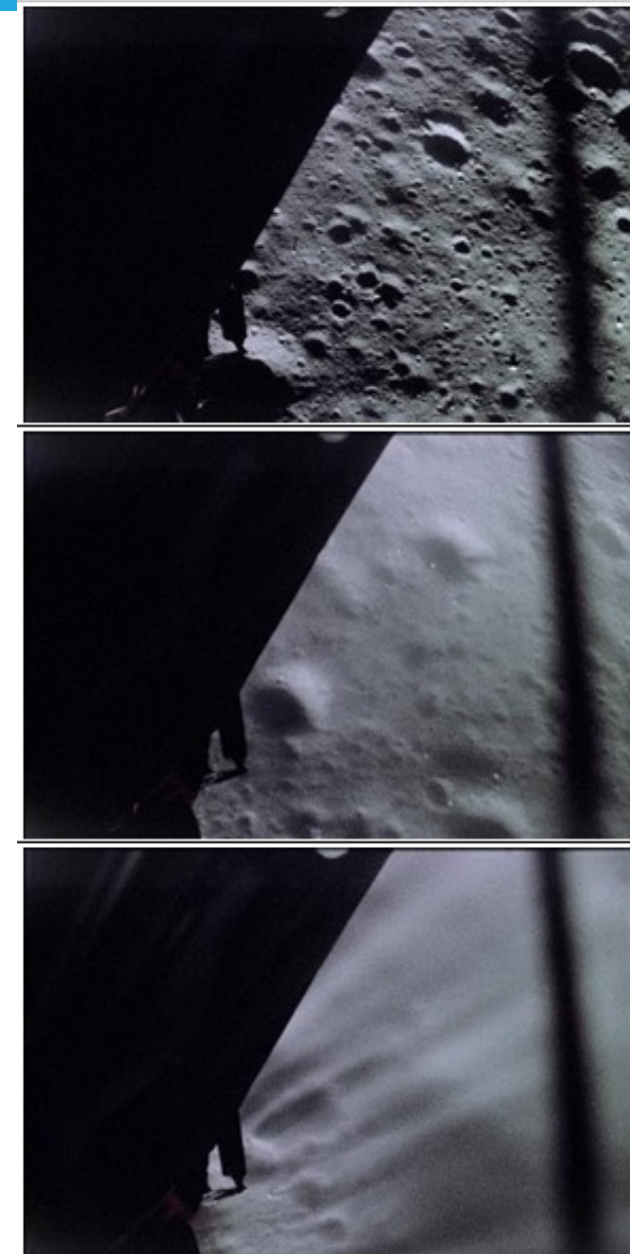
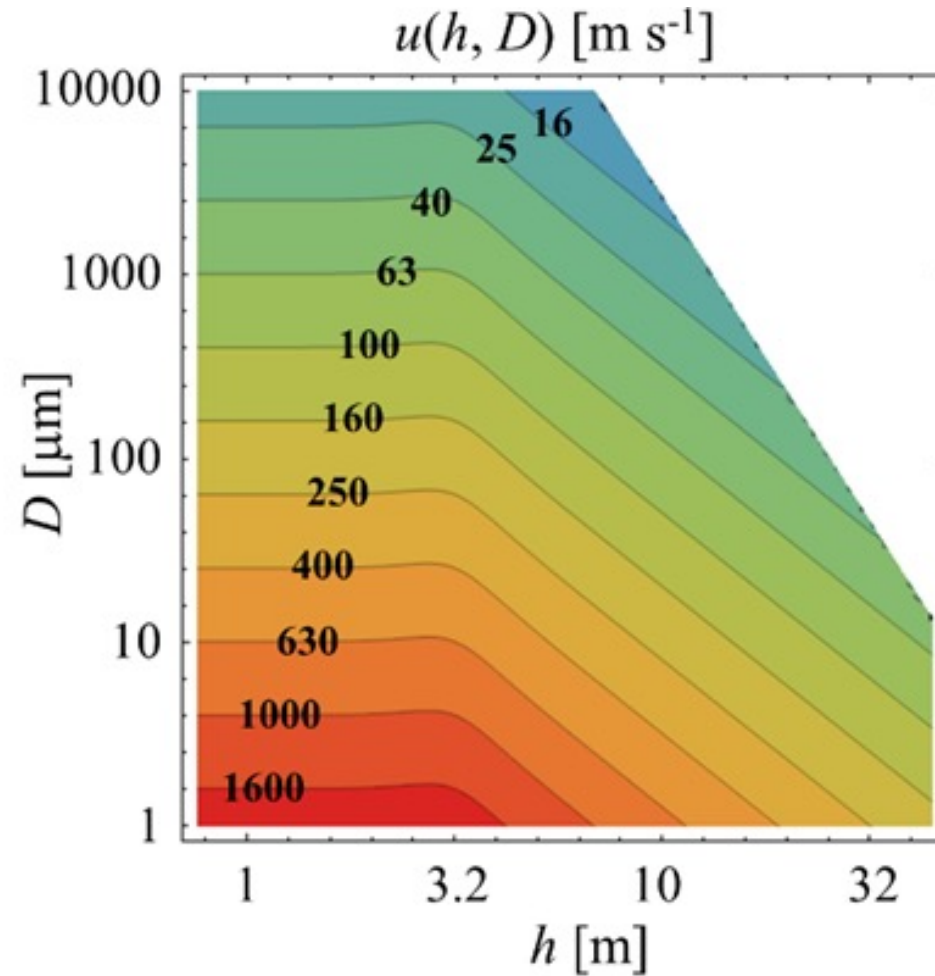


Methodology: Computational Optimization and Scaling

Ejecta concentration: 10^8 to 10^{15} particles/ m^3 based on Apollo mission video photogrammetry (Immer et al., 2021).

Ejection angle: $<3^\circ$ from initial photogrammetric studies of Apollo missions.

Velocity Field Derivation: A function of particle radius and elevation from Apollo Lunar Module CFD simulations (Lane et al., 2010).

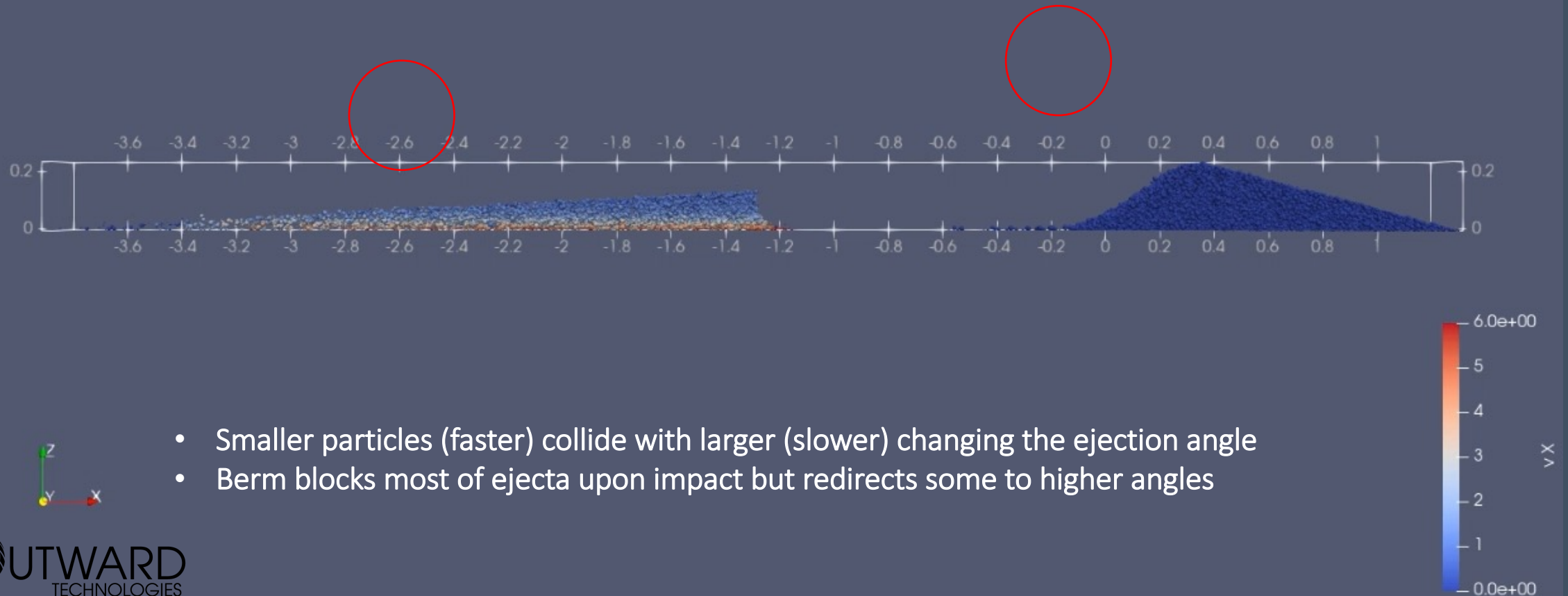


The Challenge: Simulating trillions of individual particles is computationally prohibitive.

Mass Scaling Solution: Conserved the ejecta volume fraction.

(Immer et al., 2021)

Results: Apollo-scale Landers



Results: Damage Estimation

Brittle Targets

- **Primary Damage Metrics:** penetration depth and spall diameter.
- **Geometric Representation:** conical volume of the spallation zone.
- **Key Estimation Factors:**
 - **Target Properties:** Fracture toughness, elastic properties, and material density.
 - **Impact Dynamics:** Ejecta size, ejecta density, impact velocity, and incident angle.

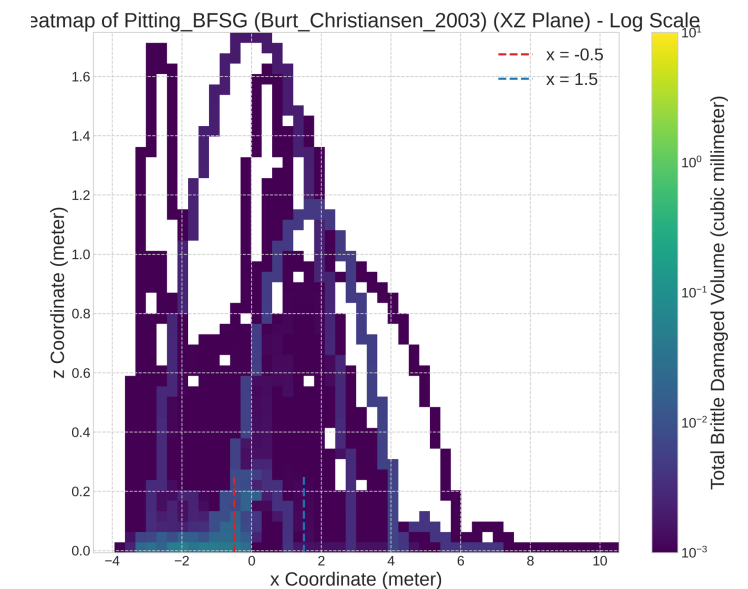
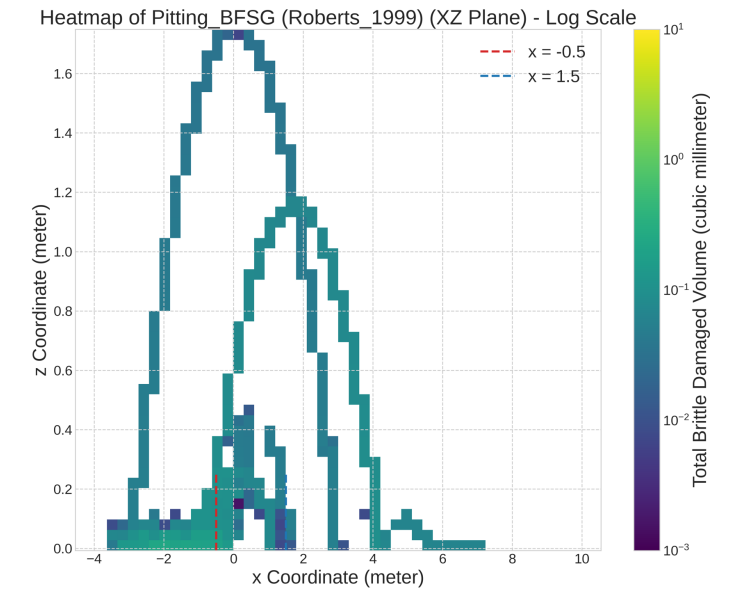
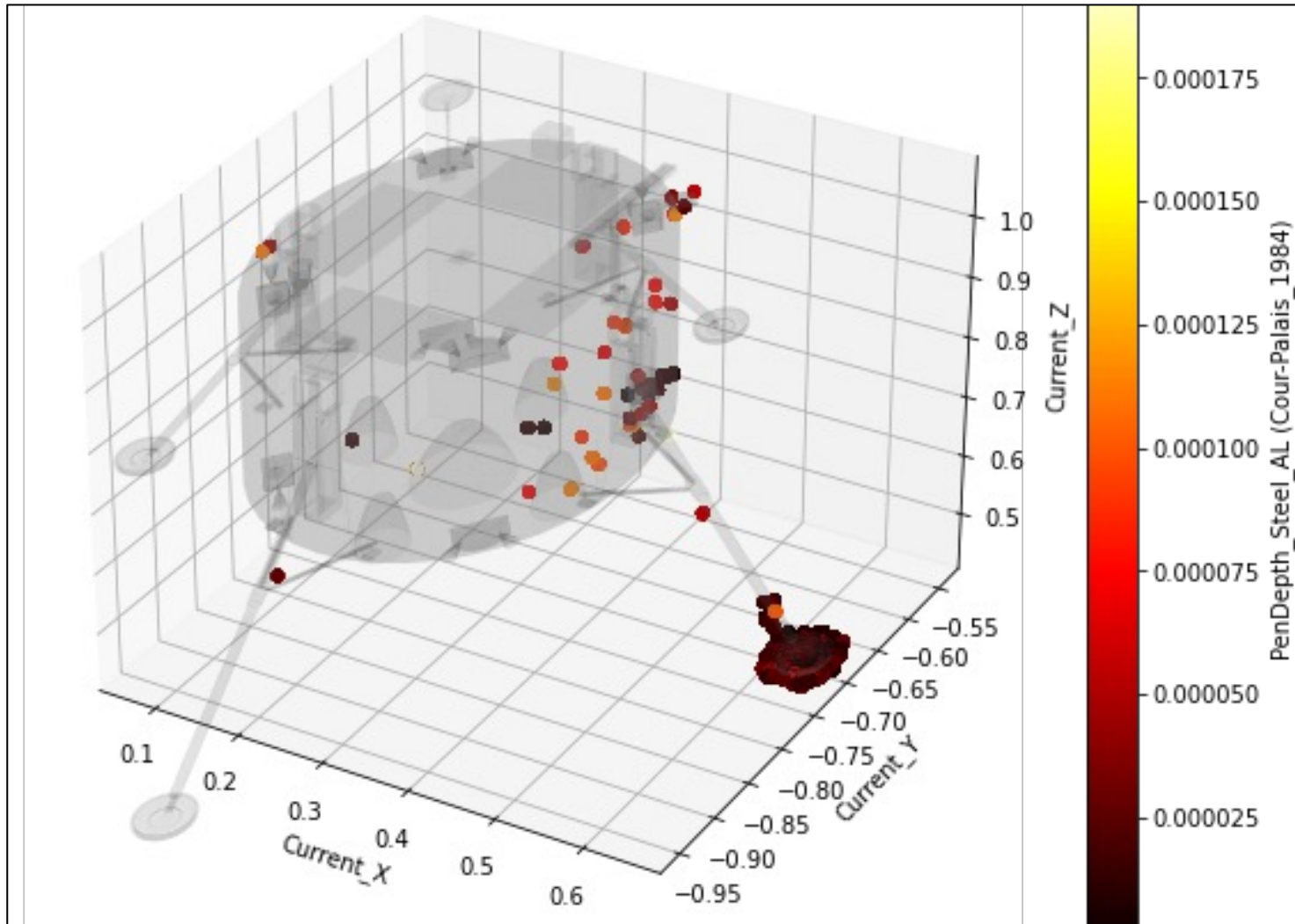
Ductile Materials

- **Primary Damage Metrics:** plastic deformation and impact radius
- **Geometric Representation:** penetration depth or deformed volume
- **Key Estimation Factors:**
 - **Target Properties:** Ultimate tensile strength, hardness indices, elastic properties, and material density.
 - **Impact Dynamics:** Ejecta size, ejecta density, impact velocity

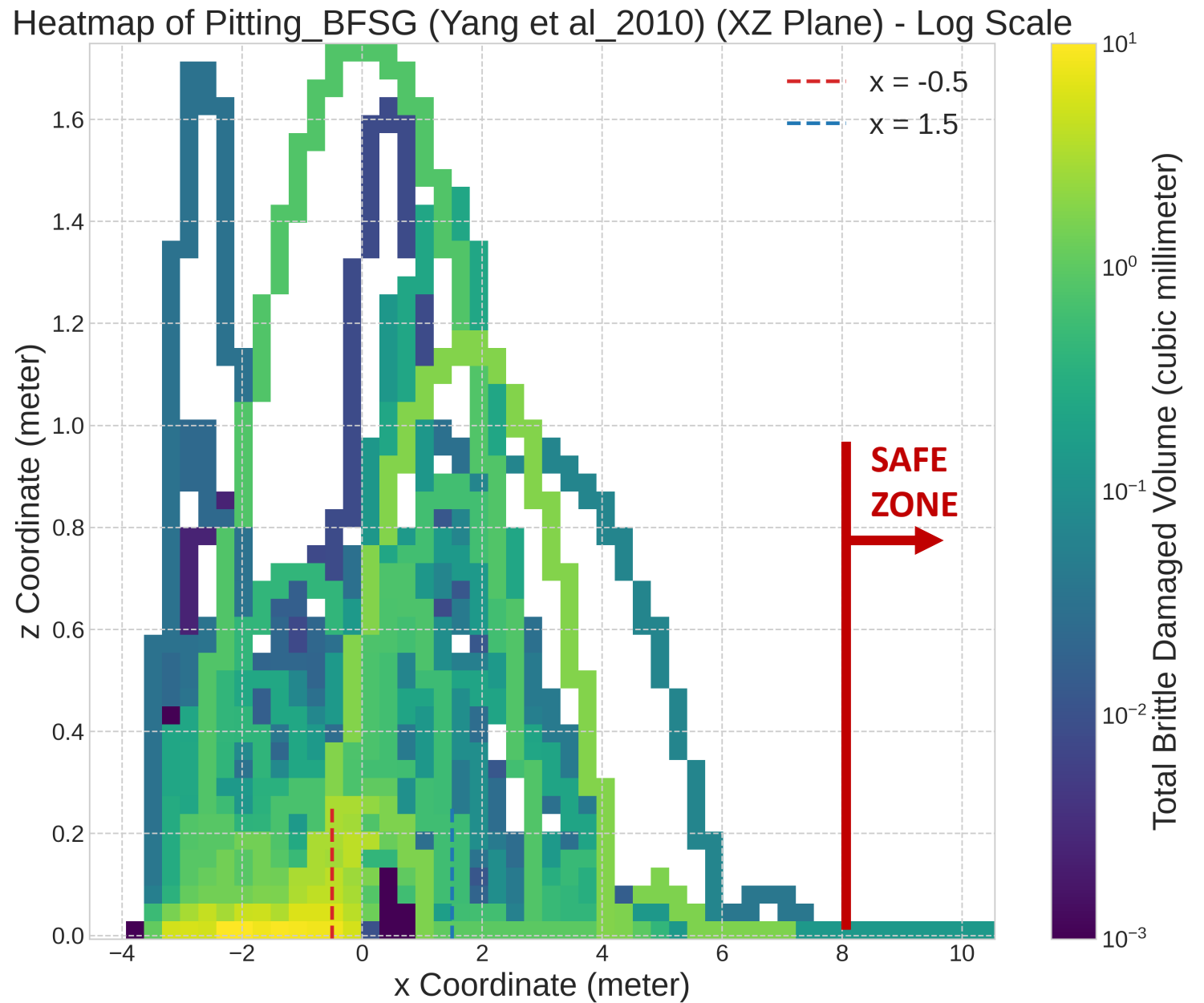
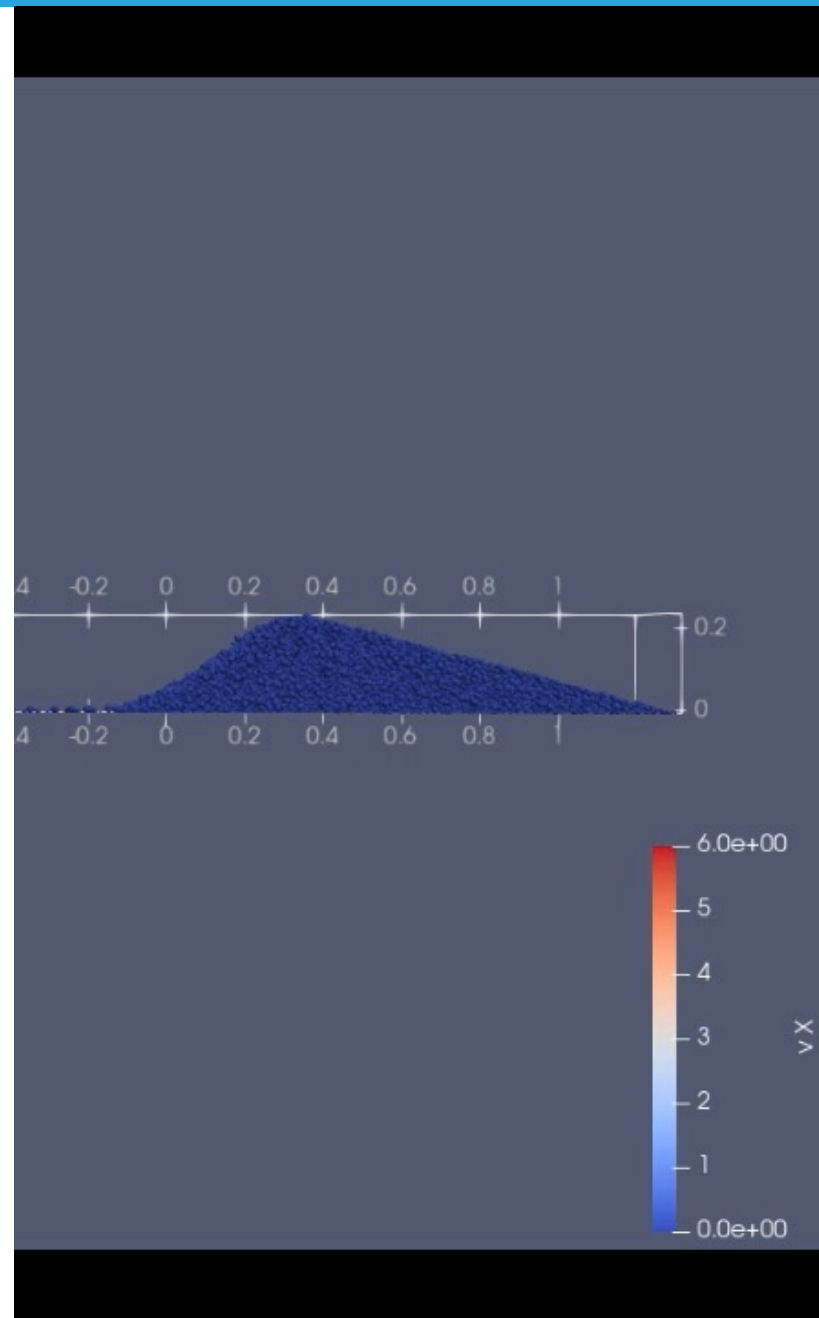
	Equations	References
Fused silica glass	$P = 0.96 d_p^{1.26} V_n^{0.67} \quad D_{sp} = 9.83 d_p^{1.03} V_n^{0.57}$ P penetration depth; D_{sp} spall diameter in cm; V in km/s;	(Jiyun et al., 2010)
	$P = 0.266 \rho_p^{0.595} d_p^{1.06} V^{0.995} (\cos \theta)^{0.496}$ $D_{sp} = 9.656 \rho_p^{0.373} d_p^{1.183} V^{0.915} (\cos \theta)^{0.545}$ D in cm; V in km/s and Rho in g/cm³	(Burt & Christiansen, 2003)
	$P = C \rho_p^{0.519} V_n^{0.67}$	(Cour-Palais, 1987)
satellite mylar surface and solar panels	$P = K m^{0.352} \rho_T^{1.667} V_n^{0.875}$ K: constant depending on target material	(Lai et al., 2012; Tribble, 2020)
	$P = 0.7658 d_p^{0.056} (\rho_p/\rho_T)^{0.476} (\sigma_{AI}/\sigma_T)^{0.134} V_n^{0.806}$	(Lai et al., 2012; McDonnell & Sullivan, 1991)
	$D_{sp} = \left(\frac{0.375 d_p f}{E^*} \right)^{0.334} \text{ if } K I c < \left(\frac{2 E^* f}{C d_p} \right)^{0.5} \quad 1/E^*$ $= \frac{1 - v_p^2}{E_p} + \frac{1 - v_T^2}{E_T}$ $K I c$: Glass fracture toughness; f force applied by the sphere on glass For a glass substrate with $v_p = v_T = 0.22$ indented with a sphere of the same glass, $C = 3131$	(Oh & Finnie, 1967; S. G. Roberts et al., 1999; Warren, 1995)
Metallic targets	$t = K m^{0.352} V_n^{0.875} \rho_{\square}^{0.1667}$ t is the plate thickness to prevent rupture from ballistic penetration.	(Fish & Summers, 1964; Hayashida & Robinson, 1991)
	The maximum pulse force over the contact time $f_{Cmax} = 1.92 \rho^{3/5} (\delta_1 + \delta_2)^{-2/5} R^2 V^{6/5}$ $P_{max} = (9 f_{Cmax}^2 / (16 R (\delta_p + \delta_T)^2))^{1/3} \text{ and } \delta \text{ is } (1 - v^2)/(\pi E)$ $P_V = f > \frac{\pi R^2 \delta^2 A_y^3 \sigma_y^3}{6}$ $P_{plastic} = P_{max} (1 - \frac{f_{Cmax}}{4/3 E \sqrt{R} P_{max}^{3/2}})$ $R_{plastic} = \frac{f_{Cmax}^2}{(\frac{4}{3E})^2 (P_{max} - P_{plastic})^3} \quad a_{plastic} = \sqrt{R_{plastic} P_{plastic}}$	(Brake, 2015; Vu-Quoc et al., 2000)
Aluminium target.	$t = \frac{d(\rho_p/\rho_T)^{0.159}}{2.06 \left(\frac{2.66 \sigma_T \mu_k}{\rho_p V_n^2} \right)^{0.255}}; \quad \sigma_{Tult} \text{ t lb/in}^2; d \text{ and t in inch; density in lb/in}^3;$	Payne, Gault, Wedekind, et al
	$P = 1.38 d^{1.1} (BH)^{-0.25} \rho_p^{0.5} \rho_T^{-0.167} V^{0.67}$ In cm, g/cm³, and km/s. BH: Brinnell Hardness for target. For ballistic limit, $t=1.8 P$ and for spallation limit $t=3P$	(Hayashida & Robinson, 1991)
	$P = 5.24 d^{1.056} (BH)^{-0.25} (\rho_p/\rho_T)^{0.5} (V_n/C)^{0.67} \text{ if } \rho_p/\rho_T < 1.5$ $P = 5.24 d^{1.056} (BH)^{-0.25} (\rho_p/\rho_T)^{0.67} (V_n/C)^{0.67} \text{ if } \rho_p/\rho_T \geq 1.5$	(Christiansen, 1991; Cour-Palais et al., 1987)

Results: Damage Estimation

- Geometry specific damage: site specific and lander specific
- Heat maps: Generic tools evaluating damage within any distance from landing



Results: Apollo-scale Landers



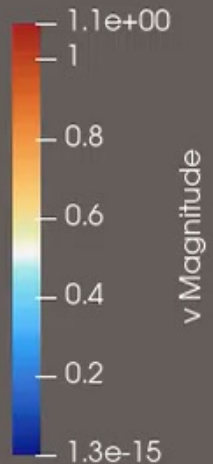
Results: Berm Performance – Ramp Berm

- Ejecta velocity was scaled by a factor of 10.
- A 10% reduction in the berm height due to ejecta impact
- Ejecta is spread over 300 meter from the berm



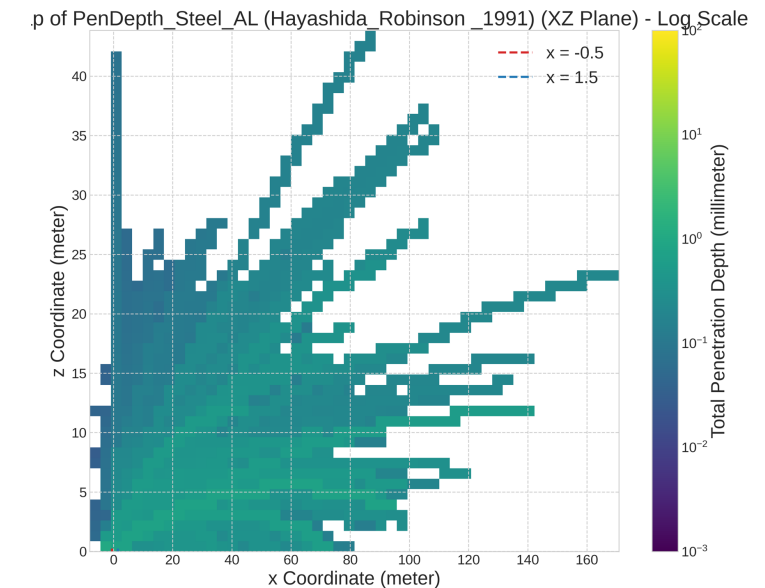
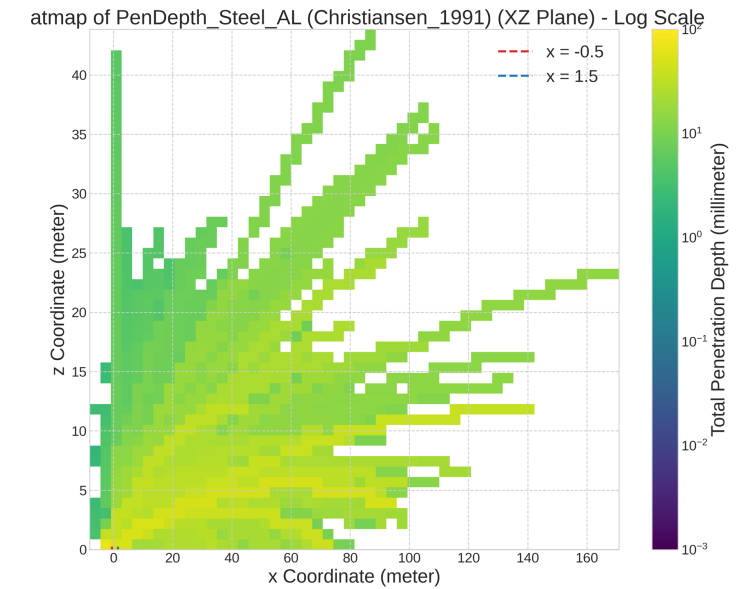
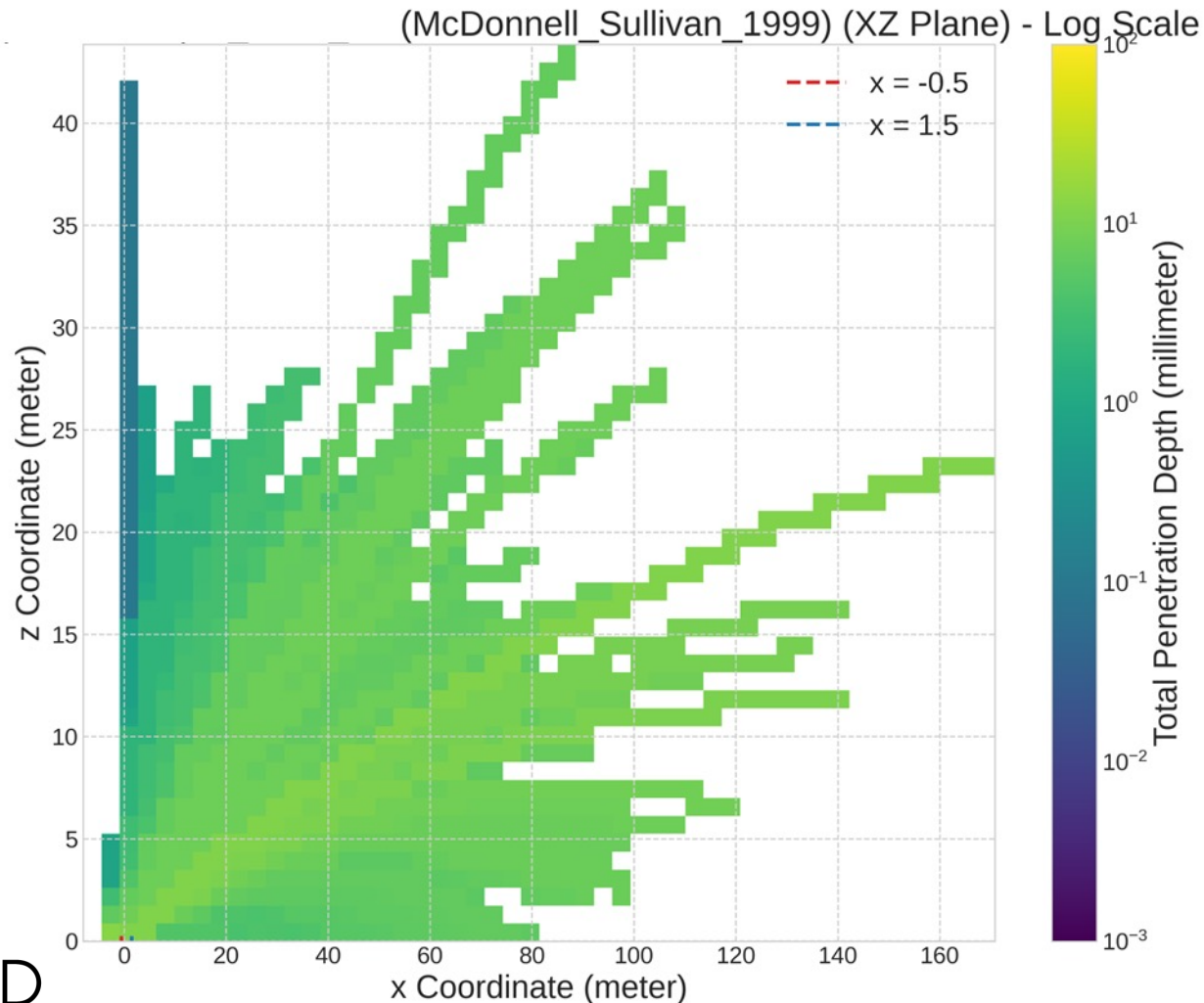
Results: Berm Performance – Wall Berm

- Wall berm maintained its height after impact
- Active face angle reduced from 50° to 40°.
- Ejecta is spread over 300 meter from the berm



Results: Damage Estimation

- Scaling ejecta velocity by a factor of 10 increased the radius of influence by a factor of 30.
- Damage intensity varies across different estimation techniques



Summary

- **Wall Berms:** Provide superior immediate shielding and feature smaller physical footprint.
- **Ramp Berms:** facilitate maintenance and access but require broader exclusion zones due to wider potential damage domains.
- **Phase II plans for LLPDT development:**
 - **Enhancing LLPDT fidelity:** Full CFDEM PSI simulations calibrated against lab experiments at Colorado School of Mines and available lunar landing data (DERT and SCALPSS)
 - **Digital twin of rover/excavator:** path planning, construction strategies, geotechnical sampling strategies
 - **Parametric studies:** off-nominal landing trajectories, compaction of berms, range of ejecta velocities -> leading to a surrogate model
 - **Open source LLPDT Software**
 - Real-time modeling tool for berm design and estimation of ejecta-induced structural damage



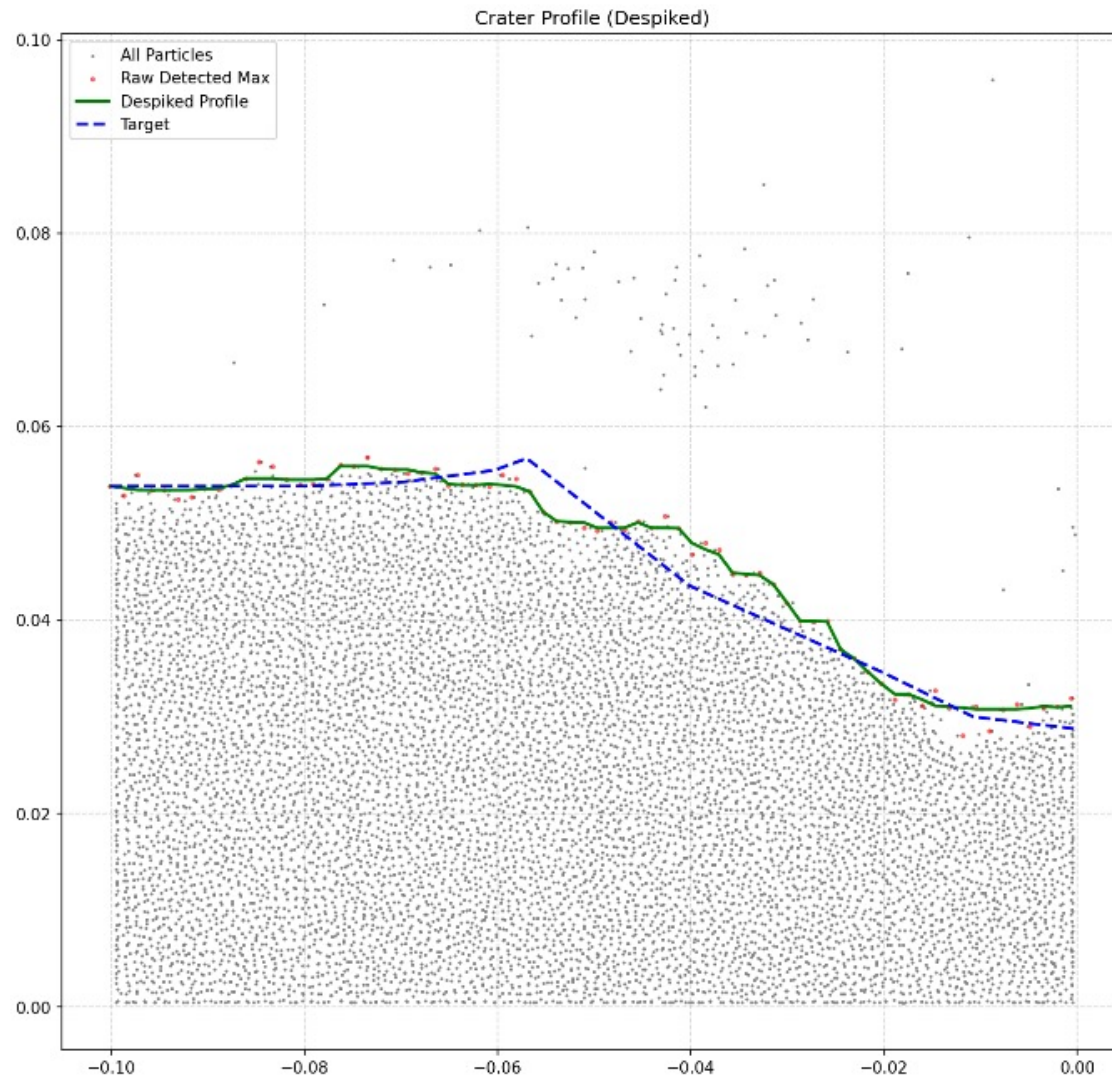
**COLORADO SCHOOL OF
MINES**

A big thank you to our collaborators!

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- Nima Goudarzi, PhD – Project PI
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- Ryan Garvey, PhD – Project Manager
rgarvey@outward.tech
- Chris Dryer, PhD – Research Institution Lead
- Patrick Cooney – Research Assistant

Backup slides

Calibrate CFD-DEM Model-- Final Calibration Validation



Optimized Parameters

[Params \(.txt\)](#)[Plots \(.zip\)](#)

Parameter	Value
E_MOD	1.00799e+7
POISSON	0.448935
FRICTION	0.314494
RollingFRICTION	0.394637
RollingDAMPING	0.561351
CoeffRESTITUTION	0.791183

**Calibration of CFDEM
simulation parameters
against the PFGT1 PSI
experiment under near-
lunar condition and
nozzle mass flow rate of
0.32 gr/s.**